

**AMENDMENTS TO THE SPECIFICATION**

Please amend the specification, as follows:

Replace paragraph [0005] with the following amended paragraph [0005]:

A Montgomery modular multiplication algorithm, known as the most effective modular multiplication algorithm, can be expressed in pseudo code, as in Algorithm 1 below:

[Algorithm 1]

Stimulus:

$A = (a_{n-1} a_{n-2} \dots a_1 a_0)_2$ , and  $A < M$

$B = (b_{n-1} b_{n-2} \dots b_1 b_0)_2$ , and  $B < M$

$M = (m_{n-1} m_{n-2} \dots m_1 m_0)_2$ , and  $M$  is odd[[.]]

Response:

$S = (\underline{s_n} \underline{s_{n-1}} \underline{s_{n-2}} \dots \underline{s_1} \underline{s_0}) (\underline{s_n} \underline{s_{n-1}} \underline{s_{n-2}} \dots \underline{s_1} \underline{s_0})_2 \equiv ABR^{-1} \pmod{M}$

Method:

$S := 0$

For  $i := 0$  to  $n-1$  do

$[[q_i]] q_i := s_0 \text{ XOR } (b_i \text{ AND } a_0)$

$S := (S + b_i A + q_i M)/2$

endfor

Replace paragraph [0018] with the following amended paragraph [0018]:

The  $q_i$  calculation logic circuit solves a Boolean logic equation “ $s_0 \text{ XOR } c_0 \text{ XOR } (b_i \text{ AND } a_0)$ ”, where  $s_0$  is the least significant bit (LSB) of a sum  $S$ ,  $c_0$  is the LSB of a carry  $C$ ,  $b_i$  is the bit value of the number  $B$ , and  $a_0$  is the LSB of the number  $A$ , to obtain a bit value  $q_i$  (where ‘ $i$ ’ denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ).

Replace paragraph [0030] with the following amended paragraph [0030]:

Another exemplary embodiment of the present invention[.] provides a method of performing a Montgomery modular multiplication in a Montgomery modular multiplier, which includes registers for storing bit values  $a_i$ ,  $b_i$ ,  $m_i$ ,  $c_i$ , and  $s_i$  (where ‘ $i$ ’ denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ) of a word  $A$ , a word  $B$ , a modulus  $M$ , a carry  $C$ , and a sum  $S$ , respectively, and calculates a value congruent to “ $ABR^{-1} \pmod M$ ”, where  $A$  and  $B$  are input  $n$ -bit numbers,  $R^{-1}$  is an inverse number of  $R$  modular-multiplied for “ $\pmod M$ ”, and  $M$  is a modulus. In the method, the number  $A$ , the number  $B$ , and the modulus  $M$  are received. The number  $A$  is multiplied by a bit value  $b_i$  to obtain each bit of  $b_iA$ . A Boolean logic equation “ $s_0 \text{ XOR } c_0 \text{ XOR } (b_i \text{ AND } a_0)$ ”, where  $s_0$  is the least significant bit (LSB) of a sum  $S$ ,  $c_0$  is the LSB of a carry  $C$ ,  $b_i$  is the bit value of the number  $B$ , and  $a_0$  is the LSB of the number  $A$ , is obtained to obtain a bit value  $q_i$  (where ‘ $i$ ’ denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ). The number  $M$  is multiplied by the bit value  $q_i$  to obtain each bit of  $q_iM$ . Then, ‘ $n$ ’ additions are performed on the carry  $C$ , the sum  $S$ , the  $b_iA$ , and the  $q_iM$  to obtain interim values for each bit of the sum  $S$  and the carry  $C$  in a carry save adder structure, in response to a carry propagation adder signal.

The interim values are summed to obtain the final results of the sum S and carry C in a carry propagation adder structure, in response to the carry propagation adder signal.

Replace paragraph [0045] with the following amended paragraph [0045]:

The A-register 110 stores the bit value  $a_i$  (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ) of the number A, which is smaller than the modulus M. The number A denotes a word representing an input n-bit number, and  $a_i$  is the value of each of the bits  $a_0$  to  $a_{n-1}$  that constitute the number A.

Replace paragraph [0046] with the following amended paragraph [0046]:

The B-register 120 stores the bit value  $b_i$  (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ) of the number B, which is smaller than the modulus M. The number B denotes a word representing an input n-bit number, and  $b_i$  is the value of each of the bits  $b_0$  to  $b_{n-1}$  that constitute the number B.

Replace paragraph [0047] with the following amended paragraph [0047]:

The M-register 130 stores the bit value  $m_i$  (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ) of the modulus M, which is an odd number. The modulus M denotes a word representing an input n-bit number, and  $m_i$  is the value of each of the bits  $m_0$  to  $m_{n-1}$  that constitute the modulus M.

Replace paragraph [0048] with the following amended paragraph [0048]:

The  $b_iA$  calculation logic circuit 140 calculates each bit of  $b_iA$  by multiplying the number A by the bit value  $b_i$ . Consequently, the values of the ' $n$ ' bits  $b_ia_0$  to  $b_ia_{n-1}$  are output. At this time, since ' $i$ ' varies from 0 to  $[[n*1]] n-1$  in the "for" loop included in Algorithm 1, the value  $b_i$  is obtained from the position of the least significant bit (LSB) of the B-register 120, which is right shifted by one bit every time an algorithm in the "for" loop is performed, as shown in FIG. 1.

Replace paragraph [0049] with the following amended paragraph [0049]:

The  $q_i$  calculation logic circuit 150 calculates the value  $q_i$  (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] n-1$ ) used in the "for" loop of Algorithm 1 by solving the Boolean logic equation " $s_0 \text{ XOR } c_0 \text{ XOR } (b_i \text{ AND } a_0)$ ". Here,  $s_0$  is the LSB of a sum S,  $c_0$  is the LSB of a carry C,  $b_i$  is a bit value of the number B, and  $a_0$  is the LSB of the number A. At this time, since ' $i$ ' varies from 0 to  $[[n*1]] n-1$  in the "for" loop included in Algorithm 1, a value  $b_i$  is obtained from the position of the LSB of the B-register 120, which is right shifted by one bit every time an algorithm in the "for" loop is performed, as shown in FIG. 1.

Replace paragraph [0050] with the following amended paragraph [0050]:

The  $q_iM$  calculation logic circuit 160 calculates each bit of  $q_iM$  by multiplying the modulus M by the bit value  $q_i$ . Consequently, the values of the ' $n$ ' bits  $q_{i}m_0$  to  $q_{i}m_{n-1}$  are output. At this time, since ' $i$ ' varies from 0 to  $[[n*1]] \underline{n-1}$  in the "for" loop included in Algorithm 1, ' $i$ ' increases by one every time an algorithm in the "for" loop is performed, as shown in FIG. 1. Consequently, the values of the ' $n$ ' bits  $q_0$  to  $q_{n-1}$  are output.

Replace paragraph [0052] with the following amended paragraph [0052]:

The S-register 180 updates and stores the bit value  $s_i$  of the sum S (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ). In other words, sum S denotes a word representing an n-bit number that is output as a sum, and  $s_i$  denotes the value of each of the bits  $s_0$  to  $s_{n-1}$  that constitute the word S. The word S is updated every time an addition is performed in the carry save adder or carry propagation adder included in the 4-2 compressor 170.

Replace paragraph [0053] with the following amended paragraph [0053]:

The C-register 190 updates and stores the bit value  $c_i$  of the carry C (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ). In other words, carry C denotes a word representing an n-bit number that is output as a carry, and  $c_i$  denotes the value of each of the bits  $c_0$  to  $c_{n-1}$  that constitute the word C. The word C is updated every time an addition is performed in the carry save adder or carry propagation adder included in the 4-2 compressor 170.

Replace paragraph [0061] with the following amended paragraph [0061]:

The Montgomery modular multiplier according to an embodiment of the present invention includes registers, which store bit values  $a_i$ ,  $b_i$ ,  $m_i$ ,  $c_i$ , and  $s_i$  (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ) of a word A, a word B, a modulus M, a carry C, and a sum S, respectively, and calculates a value congruent to " $ABR^{-1}$ " ( $\text{mod } M$ ). Here, A and B are input n-bit numbers, and  $R^{-1}$  is an inverse number of R modular-multiplied for " $\text{mod } M [[A]]$ ".

Replace paragraph [0063] with the following amended paragraph [0063]:

Thereafter, in step S315 to S319, the  $q_i$  calculation logic circuit 150 of the Montgomery modular multiplier obtains a value  $q_i$  (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ) used in the "for" loop of Algorithm 1, by solving the Boolean logic equation " $s_0 \text{ XOR } c_0 \text{ XOR } (b_i \text{ AND } a_0)$ ". Here,  $s_0$  is the LSB of a sum S,  $c_0$  is the LSB of a carry C,  $b_i$  is a bit value of the number B, and  $a_0$  is the LSB of the number A. Also, in steps S315 to S319, the  $b_iA$  calculation logic circuit 140 multiplies the number A by the bit value  $b_i$  to obtain each bit of  $b_iA$ , and the  $q_iM$  calculation logic circuit 160 calculates each bit of  $q_iM$  by multiplying the modulus M by the bit value  $q_i$ . Also, in steps S315 to S319, the 4-2 compressor 170 performs ' $n$ ' additions on the carry C, the sum S, the  $b_iA$ , and the  $q_iM$  to obtain interim values for each bit of the sum S and the carry C, in a carry save adder structure, which is formed when the carry propagation adder signal ONCPA is in an inactive state, that is, is in a first logic state ("0").

Replace paragraph [0069] with the following amended paragraph [0069]:

As described above, the Montgomery modular multiplier according to an embodiment of the present invention includes registers, which store bit values  $a_i$ ,  $b_i$ ,  $m_i$ ,  $c_i$ , and  $s_i$  (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ) of a word A, a word B, a modulus M, a carry C, and a sum S, respectively, and calculates a value congruent to " $ABR^{-1} \pmod{M}$ ". Here, A and B are input n-bit numbers, and  $R^{-1}$  is an inverse number of R modular-multiplied for "mod A". The  $b_iA$  calculation logic circuit 140 calculates each bit of  $b_iA$  by multiplying the number A by the bit value  $b_i$ . At this time, the  $q_i$  calculation logic circuit 150 calculates a value  $q_i$  (where ' $i$ ' denotes an integer in the range of 0 to  $[[n*1]] \underline{n-1}$ ) by solving a Boolean logic equation " $s_0 \text{ XOR } c_0 \text{ XOR } (b_i \text{ AND } a_0)$ ". Here,  $s_0$  is the LSB of a sum S,  $c_0$  is the LSB of a carry C,  $b_i$  is a bit value of the number B, and  $a_0$  is the LSB of the number A. The  $q_iM$  calculation logic circuit 160 calculates each bit of  $q_iM$  by multiplying the modulus M by the bit value  $q_i$ . In response to the carry propagation adder signal ONCPA, the 4-2 compressor 170 performs ' $n$ ' additions on the carry C, the sum S, the  $b_iA$ , and the  $q_iM$  to obtain interim calculated values for each bit of the sum S and the carry C, in a carry save adder structure. Then, the 4-2 compressor 170 sums the interim calculated values to obtain the final results of the sum S and carry C in a carry propagation adder structure. The final results of the sum S and carry C are output to the S- and C-registers 180 and 190, respectively.